Modelling regional labour market dynamics: Participation, employment and migration decisions in a spatial CGE model for the EU

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ABSTRACT: This paper outlines how regional labour market adjustments to macro-economic and policy shocks are modelled in RHOMOLO through participation, employment and migration decisions of workers. RHOMOLO, being a multi-sectoral, inter-regional general equilibrium model, is complex both in terms of its dimensionality and the modelling of spatial interactions through trade flows and factor mobility. The modelling of the labour market is therefore constrained by the tractability and computational solvability of the model. The labour market module consists of individual labour participation decisions, including the extensive margin (to participate or not) and the intensive margin (hours of work). Unemployment is determined through a wage curve and inter-regional labour migration decisions are modelled in a discrete-choice framework, with backward-looking expectations.

JEL Classification: C68; D58; F22; J20; J61; J64; O15.

Keywords: Participation; unemployment; labour migration; wage curve; CGE; new economic geography.

Modelización de la dinámica en mercados de trabajo regionales: participación, empleo y decisiones de migración en un modelo espacial de EGC para la UE

RESUMEN: Este paper describe cómo los ajustes en los mercados de trabajo regionales tanto a los shocks de política como macroeconómicos se modelizan en RHOMOLO a través de decisiones de los trabajadores sobre participación, empleo y migración. RHOMOLO, como modelo de equilibrio general multisectorial e interregional es complejo tanto en términos de dimensionalidad como de modelización de interacciones espaciales a través de flujos de comercio y movilidad de factores. La modelización del mercado de trabajo está por ello limitada tanto por...
la capacidad computacional como por la facilidad para obtener una solución (en forma de expresión matemática, en forma reducida) del modelo. El módulo del mercado de trabajo consiste en decisiones de participación individuales, incluyendo el margen extensivo (participar o no) y el margen intensivo (horas de trabajo). El desempleo se determina a través de la curva de salarios y las decisiones de migración interregional se modelizan en un esquema de elección discreta basado en expectativas pasadas.

**Clasificación JEL:** C68; D58; F22; J20; J61; J64; O15.

**Palabras clave:** participación; desempleo; migración laboral; curva de salarios; CGE; nueva geografía económica.

1. **Introduction**

Labour markets serve as an important adjustment channel to macro-economic shocks, such as regional integration and economic crises. Changes in regional employment can be accommodated in a model through changes in labour force participation, changes in unemployment, or labour migration. The present paper describes the modelling approach of regional labour markets taken in the newly developed dynamic spatial general equilibrium model RHOMOLO. It is crucial to account for all three adjustment channels of regional labour markets in the modelling framework, as there exist important interactions between them. Failing to model them simultaneously may result in suboptimal policy recommendations (Boeters and Savard, 2012). Therefore, in RHOMOLO, the labour market equilibrium is determined by firms’ labour demand, the participation decision of representative households, a wage curve relating wages to unemployment and inter-regional labour migration.

Inclusion of households’ participation decisions is desirable, as the empirical evidence has shown that in the EU changes in regional employment opportunities are predominantly absorbed through changes in participation decisions by individuals, rather than migration or changes in unemployment (Decressin and Fatás, 1995). In addition, it is important to distinguish between the intensive and extensive margin of participation. If the change in participation occurs at the intensive margin, workers simply adjust their number of hours worked and unemployment remains unaffected. For given levels of employment however, participation decisions at the extensive margin do alter unemployment. In RHOMOLO the participation decision is modelled both at the intensive and the extensive margin and closely follows the approach by Boeters and van Leeuwen (2010), describing the labour market in WORLDSCAN, a CGE model developed and used by the Dutch Central Planning bureau (CPB).

The empirical evidence suggests that unemployment is not driven by excess labour supply. In contrast, regions and countries with high employment rates have low

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1 For a detailed description of the RHOMOLO model, see Brandsma et al. (2013), published in this issue of Investigaciones Regionales.
unemployment rates, and there is limited job creation in regions and countries with high unemployment rates, rather than large differences in labour supply. This implies that labour market imperfections must be accounted for, in order to explain the prevalence of unemployment. The modelling of unemployment in RHOMOLO follows Blanchflower (1994) and adopts the wage curve approach—an empirical regularity describing the negative relation between wages and unemployment. This approach allows us to pragmatically introduce unemployment, while avoiding strong assumptions on the underlying labour market imperfections causing it.

Although the importance of international migration as an adjustment channel is only of limited importance in the EU, inter-regional labour migration flows do mitigate demand shocks to a significant extent (Blanchard and Katz, 1992; Decressin and Fatás, 1995; European Commission, 2012), especially over longer time periods. Consequently, interregional migration is also modelled in RHOMOLO. The migration decision of households in RHOMOLO is based on a comparison of expected regional income differences. All parameters governing the elasticity of the migration decision are estimated empirically.

The remainder of the paper is structured as follows. Section 2 introduces the participation decisions of workers, Section 3 describes the wage curve and estimates country-specific wage curve elasticities, and Section 4 details the modelling of inter-regional labour migration in RHOMOLO and the estimation procedure applied to uncover the elasticities determining inter-regional labour migration flows.

2. Labour market participation

The approach taken in modelling participation in RHOMOLO is based on Boeters and van Leeuwen (2010). We introduce participation decisions both at the intensive and extensive margins.

2.1. Modelling participation: intensive margin

The representative individual divides her total available time $T$ between leisure, $L$, and hours worked, $H$. As working increases the available income for consumption, the individual faces a trade-off between consumption and leisure in utility when optimising the following CES utility function:

$$ V_e = \left[ \theta_e \left( \frac{C}{Y} \right)^{\gamma-1} \right]^{\gamma} + (1 - \theta_e) \left( \frac{F}{Y} \right)^{\gamma-1} $$

(1)
Bars above variables denote the observed benchmark values. We use the «calibrated share form» notation of Böhringer et al. (2003) to facilitate the practical implementation and calibration of the model additions in GAMS. The only parameter that requires calibration then is $\theta_c$, which is the value share of consumption, at its benchmark point. Write $p_c$ for the price of the consumption good $C$. The price of leisure $F$ corresponds to its opportunity cost, the wage $w$. Write $p_c$ for the expenditure required to obtain a unit of utility. Given the CES form of utility, the price of utility is a CES price index of $w$ and $p_c$:

$$p_v = \left[ \theta_c (p_c)^{\frac{1-\gamma}{\gamma}} + (1 - \theta_c) \left( \frac{w (1 - t_m)}{\bar{w} (1 - t_m)} \right)^{\frac{1-\gamma}{\gamma}} \right]^{\frac{1}{1-\gamma}}$$  \hspace{1cm} (2)$$

where $t_m$ is the marginal tax rate on labour.

Consider the extended income $Y_D$ which equals total income plus the initially consumed amount of leisure when valued at the benchmark wage, such that $Y_D = w (H (1 - t_c) + (T - H)(1 - t_m))$. The level of obtainable utility in the benchmark equals $V_e = \frac{Y_d}{p_v}$. The optimal demand of consumption and leisure relative to their baseline value are given equations (3) and (4).

$$\frac{C}{C} = V_e \left( \frac{p_v}{p_c} \right)^{\gamma}$$  \hspace{1cm} (3)$$

$$\frac{F}{F} = p_c \left( \frac{\bar{w} (1 - t_m)}{w (1 - t_m)} \right)^{\gamma}$$  \hspace{1cm} (4)$$

A shift in the budget constraint increases the obtainable level of utility $V_e$ and shifts the demand functions. The number of hours of work supplied then can be readily calculated from the demand of leisure as $H = T - F$.

In order to set the elasticity of substitution between leisure and consumption $\gamma$, we make use of the fact that under appropriate assumptions$^2 \gamma = 1 - \frac{\eta_{LW}}{\eta_{LY}}$, with $\eta_{LW}$ the wage elasticity of the hours of work supplied, and $\eta_{LY}$ the income elasticity of the hours of work supplied. The values for these elasticities are set at and $\eta_{LY} = -0.1$ and $\eta_{LW} = -0.1$, which results in $\gamma = 2$. Furthermore, under the appropriate assumption,

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$^2$ See (Boeters and van Leeuwen, 2010) for an elaborate discussion on the assumption underlying this result. A detailed exposition of the complete build up of all elements of the model is beyond the scope of this paper. We restrict ourselves to the intuiting of the mechanisms driving the most important results.
an income elasticity of labour, $\eta_{LY} = -0.1$ implies $T/H = 1.1$ (see Boeters and van Leeuwen, 2010). Future work will consider setting the parameter values according to recent empirical work on these elasticities, such as Bargain et al. (2014).

2.2. Modelling participation: extensive margin

Next, we introduce labour supply decisions along the extensive margin. Our aim is to determine the number $N$ of labour market participants.

Following Boeters and van Leeuwen (2010) we model the combined labour supply decision (intensive and extensive) as a two-step procedure, which is solved backwards by the individuals. Individuals first determining their optimal number of hours worked, assuming a positive participation decision. The expected utility of supplying labour $V_l$ then is compared to a fixed (and individual specific) cost of working, $V_0$, to determine whether to participate or not. This fixed cost of working, $V_0$, is assumed to be uniformly distributed across individuals.

In the presence of involuntary unemployment (see Section 3), the assignment of labour market participants between the employed and unemployment is assumed to be random (the individuals are assumed to be identical apart from their idiosyncratic cost of participation $V_0$). The unemployment rate, $u$, is assumed to be exogenous from the perspective of the individual, $V_u$ is the utility of an unemployed individual (see below), and $V_e$ is the utility of an employed individual shown above in equation 1. The expected utility of supplying labour for every individual therefore is given by:

$$V_l = (1-u)V_e + uV_u,$$

where the utility of an unemployed individual is given by:

$$V_u = \left[ \theta \left( \frac{C_u}{C} \right)^{\gamma-1} + (1-\theta) \left( \frac{T - \delta L}{F} \right)^{\gamma-1} \right]^{\gamma},$$

with $C_u = r w L(1-t_a)$ the consumption level of the unemployed with a replacement income determined by the replacement rate $r$. It is assumed that the unemployed can enjoy only a share $\delta$ of the total available time $T$ in the form of leisure (due to, for example, time spent searching for jobs). The utility level of the unemployed contains no decision variables and hence is fully determined by model parameters.

Writing $h$ for the value of the density function of $V_0$’s, the number of labour market participants then can be calculated as

$$N = \bar{N} + h(U_l - \bar{U}),$$
Assuming the $U_i$ remains within the upper and lower limit of this distribution, the change in the number of participants $N$ in function of wage increases will be higher for a high value of $h$, the case where individuals have rather similar values of $V_0$. The value of $h$ therefore determines the elasticity of labour supply at the extensive margin.

More formally, the elasticity of labour supply at the extensive margin which is implied by a specific value for $h$ equals

$$\eta_{nw} \equiv \frac{\partial \log N}{\partial \log w} = h \frac{V_l}{N} \frac{\partial \log V_i}{\partial \log w} = h \frac{(1-u)V_e}{N} \frac{wL(1-t_m)}{Y_p}.$$

Note that the value of the elasticity does not only depend on $h$ but also on $N$ and other variables, and therefore is endogenous. We follow Boeters and van Leeuwen (2010) and fix $h$ at the value which correponds to $\eta_{nw} = 0.2$ at the benchmark level of $N = \bar{N}$. In the simulations, will vary depending on the value of $N$.

Alternatively, the participation module could be calibrated using country-specific econometric elasticity estimates. Some recent empirical estimates are available from Bargain et al. (2014).

3. Unemployment

3.1. Conceptual framework of a wage curve

Following Blanchflower (1994), unemployment in RHOMOLO is modelled by means of a wage curve. The fundamental empirical regularity of the wage curve—a negative relationship between the local unemployment to local real wages—can be derived from a number of micro-founded theoretical models (Card, 1995): the implicit contract model, where the local presence of valued amenities compensate for lower wages and higher unemployment; the efficiency wage model, where employers need to be paid a premium to prevent them from shirking on the job and the negative relation arises because the no-shirking premium is lower in times of high unemployment (because the penalty of getting caught shirking increases); and finally, the union bargaining model, where increasing unemployment leads to a worsening of the workers’ outside option, reducing their wage demands during negotiations with employers.

Figure 1 illustrates the equilibrium on the labour market in the presence of a wage curve. Take for example a unionised regional labour market, where unions bargain a higher wage during negotiations with employers, albeit at the cost of decreased job creation. The negotiations drive a wedge between the competitive wage level (A) and the bargained wage (B), leading to equilibrium unemployment, a desirable future for a spatial equilibrium model.

Now consider the effect of a regional labour demand shock: in a perfectly competitive labour market with an inelastic labour supply, such a shock would solely
affect the wage level and leave employment unaltered at the full-employment level. A wage curve ensures that a labour demand shock is translated into an increase in both employment (decrease in unemployment) as well as the wage level ($A \rightarrow B$). Because in the RHOMOLO economy people can migrate between regions, this is not the end of the story. How migration mitigates the initial local wage increase in the change in the unemployment rate is illustrated in section 4.

A key parameter determining the effect of shocks on regional unemployment is the wage curve elasticity. In the current version of RHOMOLO, the slope of all regional wages curves is assumed to be equal to $-0.1$, a commonly recurring value in the empirical literature (Card, 1995; Blanchflower and Oswald, 1995; Janssens and Konings, 1998; Fagan et al., 2005). Since reported estimates in the empirical literature vary considerably, future research will aim to provide country specific estimates of the wage curve elasticity. Our approach will be based on Baas et al. (2007) and Jimeno and Bentolila (1998). The pragmatic approach of using a reduced-form wage curve allows us to avoid explicitly modelling the exact mechanisms generating unemployment and thus circumvent making strong

**Figure 1.** The local labour market equilibrium in the presence of a wage curve and an illustration of the effect of a labour demand shock on wages and (un)employment
assumptions about parameters driving those models, which are often unobservable. Introducing national variation in the slope of the wage curves, allows the model to capture fundamental differences between countries’ labour market institutions. With a more structural approach, this would be difficult to achieve as calibrating such modelling frameworks would place heavy demands on the data requirements.

4. Labour migration

4.1. A discrete choice model of labour migration

The equilibrating effect of migration flows in RHOMOLO is illustrated in Figure 2. Keeping everything else constant, the initial labour demand shock, illustrated in Figure 1, triggers in-migration which causes both wages and unemployment rates to return back to their pre-shock level (B→C). It is important to keep in mind that in a general equilibrium model, as in reality, everything else is not fixed. Firms will be exiting or entering the region which results in additional labour demand shifts and other regions will be affected through trade-links or knowledge spillovers, preventing complete equalisation of regional labour market outcomes.

The modelling of migration in RHOMOLO follows the approach of Sorensen et al. (2007) and Grogger and Hanson (2011) and is described in detail in Brandsma et al. (2013). It starts from the individual migration decision, where worker $k$ from origin region $o$, maximises indirect utility, $V_{kor}$, across all possible destinations $r$. Destination $d$ will be chosen if

$$V_{kor} > V_{kor} \forall r, \quad V_{kor} = Z_{rod} \beta + \xi_{rod} + e_{kor}.$$  

The indirect utility of $V_{kor}$ worker $k$ migrating from origin region $o$ to destination region $d$ is determined by characteristics $V_{rod}$ of regions $o$ and $d$. These characteristics are pair specific and contain for example bilateral distance. Term $Z_{rod} \beta$ represents the utility that workers $k$ associates with these characteristics, so that $\beta$ is a vector of marginal utilities. Error term $\xi_{rod}$ represents unobserved location characteristics. $Z_{rod} \beta$ and $\xi_{rod}$ assign the same utility level to all workers in $o$ considering migration to $d$. The idiosyncratic error term $e_{kor}$ varies across both workers and regions and accounts for the fact that not all workers from the same region choose the same destination. The probability that location $d$ is chosen by individual $k$ from region $o$ then equals:

$$Pr(V_{kor} > V_{kor}) \quad \forall d \neq r$$

$$Pr(e_{kor} - e_{kor} > Z_{or} \beta - Z_{rod} \beta + \xi_{or} - \xi_{rod}) \quad \forall d \neq r.$$
Now assume that the idiosyncratic error term follows an i.i.d. extreme value distribution. McFadden (1973) shows this yields the following probability for a worker $k$ from $o$ to migrate to $d$:

$$Pr(M_{kod} = 1) = \frac{\exp(Z_{od} \beta + \xi_{od})}{\sum_{d=1}^{R} \exp(Z_{od} \beta + \xi_{od})}. \quad (8)$$

Berry (1994) in turn shows that probability (8) of migrating from $o$ to $d$ coincides with the share of workers from $o$ migrating to $d$. Following Sorensen et al. (2007), we therefore write the share of migrants from $o$ to $d$ as:

$$S_{od} = Pr(M_{kod} = 1) = \frac{\exp(Z_{od} \beta + \xi_{od})}{\sum_{d=1}^{R} \exp(Z_{od} \beta + \xi_{od})}. \quad (9)$$
and the share of stayers in region \( o \) as:

\[
S_{oo} = \Pr(M_{koo} = 1) = \frac{\exp(Z_{oo} \beta + \xi_{oo})}{\sum_{d=1}^{R} \exp(Z_{od} \beta + \xi_{od})}.
\]  

Dividing equation (9) by (10) and applying a logarithmic transformation yields a simple econometrically estimable migration equation:

\[
\ln \left( \frac{s_{od}}{s_{oo}} \right) = \ln \left( \frac{\exp(Z_{od} \beta + \xi_{od})}{\exp(Z_{oo} \beta + \xi_{oo})} \right) = Z_{od} \beta - Z_{oo} \beta + \xi_{od} - \xi_{oo}
\]  

Next, we allow \( e_{kd} \) the to be correlated within countries, while maintaining the i.i.d. assumption between countries. Using the same index \( c \) for countries (nests) and for the country of destination, the estimable migration equation can then be written as:

\[
\ln \left( \frac{s_{od}}{s_{oo}} \right) = (Z_{od} - Z_{oo}) \beta + \sigma \ln(s_{(od|c)d}) + (\xi_{od} - \xi_{oo})
\]  

### 4.2. Econometric specification and empirical implementation

The estimation of equation (12) requires an instrumental variable approach due to the endogeneity of the conditional probability (share). Following the common approach in the literature on discrete choice in the context of product demand estimation (Berry et al., 1995), we chose the number of regions in country as an instrument for the probability of choosing a specific region as the destination of choice, conditional on the destination country choice. The share of people choosing a particular region in a country will on average be inversely related to the number of regions in the country. The number of regions in a country is exogenous to the migration decision in itself, as the size of countries and the number of NUTS-2 regions contained in them are clearly unrelated to contemporary migration patterns.

In order to construct a matrix with bilateral regional migration flows, two datasets were merged: Eurostat’s data on within-country interregional migration flows and OECD’s data on international migration. Data on migration between NUTS2 regions within countries is available from Eurostat for most of the EU member states. The first step in constructing an approximate dataset of gross bilateral migration flows between NUTS2 regions consists of calculating migration probabilities between every pair of regions within each country, for each country separately. Secondly, international migration flows without any regional dimension were obtained from the OECD. These international migration flows were subsequently «regionalised», assuming that international migrants distribute themselves between the regions of the country of destination according to the same pattern as within-country migrants do. Similarly, the international migrants are assumed to originate from specific regions of
origin in the source country in the same proportions as the within-country migrants originate from different regions in the source country. Obviously, this approach is an approximation, and will introduce errors, if the true distribution of international migrants differs significantly from the observed distribution of within-country migrants.

**Explanatory variables.** In line with the underlying conceptual framework, we measure the indirect utility for living in region \(d\) for an individual from region \(o\), \(V_{o,d} = Z_{o,d} \beta + \xi_{o,d} + e_{o,d}\) by the expected real income in destination region \(d\), net of migration costs for migrating between \(o\) and \(d\). We approximate the real expected income in region \(r\) by

\[
\text{income}_r = \frac{W(r) \cdot (1 - u(r))}{P(r)},
\]

with the average local wage \(W(r)\), the unemployment rate \(u(r)\), and the local consumer price index \(P(r)\). The migration costs are approximated by a log-linear function of the great circle distance between the geographic centre of the origin and destination NUTS-2 region. A dummy variable \(I(\text{int}l_{o,d})\) for international migration equals 1 in case region \(o\) and \(d\) are located in different countries. The empirical specification of the estimation equation then becomes

\[
\ln \left( \frac{s_{o,d}}{s_{o,o}} \right) = \beta_1 \ln(\text{income}_o) + \beta_2 \ln(\text{income}_d) + \beta_3 \ln(\text{distance}_{o,d}) + \beta_4 I(\text{int}l_{o,d}) + \beta_5 \ln(s_{o,d}^f) + (\xi_{o,d} - \xi_{o,o}).
\]

(13)

The data on wages, the unemployment rate and consumer price index (CPI) were taken from the Eurostat regional databases. The year 2004 was chosen to perform the analysis, as this year has the best data coverage\(^3\). Although, according to the underlying conceptual framework, coefficients \(\beta_1\) and \(\beta_2\) should be of opposite sign and of equal size, we follow Kancs (2011) and do not impose this restriction in our empirical application. We report the empirical results for specifications including a log-linear distance term to estimate the elasticity of migration with respect to distance. In the simulations using RHOMOLO, however, in order to obtain results which are as realistic as possible a fifth-order polynomial in log-distance will be used to capture non-linearities in the response of migration to distance. We omit these results here.

### 4.3. Empirical results

Using the imputed interregional migration flows, equations (11) and (12) were subsequently estimated.

Column (I) of Table 1 shows the results of estimating equation (11) using the OLS estimator. Column (II) reports the instrumental variables estimation described above for equation (12). The estimated effect of income in the destination region

\(^3\) Choosing a different year does not materially affect the results.
decreases and the elasticity of distance increases when taking into account the endogeneity of the conditional probability, but overall the results of OLS and IV are rather similar. The size of the effect of the international migration dummy I(intl\_od) is remarkable, emphasising the importance of international borders (often corresponding to important cultural and language barriers) on labour mobility. One important point is that the coefficient on the conditional share implies an estimate of \( \sigma \), the measure of within-country correlation in taste has the opposite sign and is outside of the theoretically consistence range between 0 and 1. In this light, and because the difference between the OLS and IV estimates are quite close, we opted to use the OLS estimates in the simulation analysis.

Table 1. Estimation results

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Being rooted in the discrete choice theory, the estimated migration model allows us to infer the structural parameters governing the individual behaviour from observable aggregate migration flows. An important advantage of this approach is that when assessing the effects of policy simulations—to which we turn in the next section—the predicted migration flows will obey key macro-accounting rules. In particular, the predicted increase in migration inflow resulting from an increasing attractiveness of regions must imply an equal increase in outgoing migration from other regions, such that the total EU population is unaffected by migration internal to the EU. Such properties do not hold when modelling migration flows in an ad-hoc way, or as a Poisson process (for a discussion, see Schmidheiney and Brülhart, 2011).
5. Conclusions

This paper describes how regional labour market adjustments to macro-economic and policy shocks through participation, employment and migration decisions of workers are modelled in RHOMOLO, a spatial CGE model. Being a multi-sectoral, inter-regional general equilibrium model, RHOMOLO is complex both in terms of its dimensionality and the modelling of spatial interactions through trade flows and factor mobility. The modelling of the labour market is therefore constrained by the tractability and computational solvability of the model. The labour market module consists of individual labour participation decisions, both at the extensive (to participate or not) and the intensive margin (hours of work). Unemployment is determined through a wage curve. Inter-regional labour migration is modelled in a discrete-choice framework with backward-looking expectations, for which migration elasticities have been estimated econometrically.

References


